# Are neutron stars actually strange stars ? 

Eric Gourgoulhon<br>Laboratoire de I'Univers et de ses Théories (LUTH)<br>CNRS / Observatoire de Paris<br>Meudon, France

Based on a collaboration with<br>Dorota Gondek-Rosińska, Pawel Haensel \& Leszek Zdunik

Eric.Gourgoulhon@obspm.fr
http://www.luth.obspm.fr

## Plan

1. Strange quark matter
2. Theoretical models of strange quark stars
3. Searching for strange quark stars
4. Recent Chandra observations

1

## Strange quark matter

## The strange quark

Quark properties

| flavor | d | u | s | c | b | t |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| spin | $1 / 2$ |  |  |  |  |  |
| baryon number | $1 / 3$ |  |  |  |  |  |
| electric charge | $-\frac{e}{3}$ | $\frac{2 e}{3}$ | $-\frac{e}{3}$ | $\frac{2 e}{3}$ | $-\frac{e}{3}$ | $\frac{2 e}{3}$ |
| isospin $(z-$-comp. $)$ | $-\frac{1}{2}$ | $\frac{1}{2}$ | 0 | 0 | 0 | 0 |
| mass $\left[\mathrm{MeV} \mathrm{c}^{-2}\right]$ | $\sim 7$ | $\sim 3$ | $\sim 150$ | $\sim 1200$ | $\sim 4200$ | $\sim 175 \mathrm{GeV} \mathrm{c}^{-2}$ |

Recall: nucleons: $\mathrm{p}=$ uud, $\mathrm{n}=$ udd hyperons: $\Lambda=$ usd, $\Sigma^{+}=$uus,...

$$
\text { mesons: } \quad \pi^{+}=\mathrm{u} \overline{\mathrm{~d}}, \pi^{-}=\overline{\mathrm{u} d}, \ldots
$$

## Strange quark matter hypothesis and strange stars

1971: A.R. Bodmer $\rightarrow$ the ground state of nuclear matter may be a state of deconfined quarks.

1984: E. Witten reformulated (independently) this idea, and contemplated the possibility that neutron stars are in fact strange quark stars.

1986: first numerical models of static strange stars by P. Haensel, J.L. Zdunik \& R. Schaeffer, as well as C. Alcock, E. Farhi \& A.V. Olinto.

1989: announcement of a half-millisecond pulsar in SN 1987A
1996: discovery of high frequency QPO in low-mass X-ray binaries
2002 : NASA announcement of "discovery" of two strange quark stars

## Ground state of hadronic matter



## Why non-zero strangeness ?

Quarks are fermions:


Pauli exclusion principle $\Longrightarrow$ 3-flavor quark matter has a lower energy than 2-flavor quark matter.

## Approximate treatment of QCD

Complexity of $\mathrm{QCD} \Longrightarrow$ a direct computation of the quark matter EOS is not doable.

## The simplified approach to quark matter EOS:

- describe non-perturbative aspects of QCD (quark confinement and asymptotic freedom) by a very simplified phenomenological model: the MIT bag model;
- describe perturbative effects (quark interactions within the bag) by an expansion in $\alpha_{\mathrm{s}}=g^{2} /(4 \pi)$, where $g$ is the QCD coupling constant .


## MIT bag model

Pressure of physical vacuum acting on the bag: $B$
$\Rightarrow$ balance of total pressure acting on the bag by the total quark pressure:

$$
P_{\mathrm{ext}}+B=\sum_{\text {flavor } i} P_{i}
$$

Energy density of deconfined vacuum with respect to physical vacuum: $B$ $\Rightarrow$ total energy density of the bag:

$$
\varepsilon=\sum_{\text {flavor } i} \varepsilon_{i}+B
$$

Bag constant $B \sim 60 \mathrm{MeV} \mathrm{fm}^{-3}=: B_{60}$

## Simple estimations within the bag model

Approximation: neglect the quark masses, and the quark interactions ( $\alpha_{\mathrm{s}}=0$ )
$\Rightarrow$ each quark flavor $i$ behaves as a ultra-relativistic Fermi free gas: the pressure at number density $n_{i}$ is

$$
P_{i}=\frac{1}{4}\left(\frac{6 \pi^{2}}{\gamma_{i}}\right)^{1 / 3} \hbar c n_{i}^{4 / 3}=\frac{1}{3} \varepsilon_{i}
$$

with the degeneracy $\gamma_{i}=2($ spin $) \times 3$ (color) $=6$.

Total pressure:

$$
P=\frac{\pi^{2 / 3}}{4} \hbar c \sum_{\text {flavor } i} n_{i}^{4 / 3}-B
$$

Total energy density: $\quad \varepsilon=\frac{3 \pi^{2 / 3}}{4} \hbar c \sum_{\text {flavor } i} n_{i}^{4 / 3}+B=3 P+4 B \leftarrow N B$ : asymp. fr.
Baryon density:

$$
n_{\mathrm{B}}=\frac{1}{3} \sum_{\text {flavor } i} n_{i}
$$

At zero pressure: $\quad \varepsilon=4 B=: \varepsilon_{0} \quad$ and $\quad \frac{\pi^{2 / 3}}{4} \hbar c \sum_{\text {flavor } i} n_{i}^{4 / 3}=B$

## 2-flavor quark matter

Hypothesis: only u and d quarks.
Electric neutrality $\Rightarrow n_{\mathrm{d}}=2 n_{\mathrm{u}}$.
Then $n_{\mathrm{B}}=\frac{1}{3}\left(n_{\mathrm{d}}+n_{\mathrm{u}}\right)=n_{\mathrm{u}}$
and, at zero pressure, $\frac{\pi^{2 / 3}}{4} \hbar c\left(1+2^{4 / 3}\right) n_{\mathrm{u}}^{4 / 3}=B$
$\begin{aligned} & \text { Energy per baryon: }\left.\frac{E}{A}\right|_{(\mathrm{u}, \mathrm{d})}=\frac{\varepsilon_{0}}{n_{\mathrm{B}}}=\left(4 \pi^{2}\right)^{1 / 4}\left(1+2^{4 / 3}\right)^{3 / 4}(\hbar c)^{3 / 4} B^{1 / 4} \\ &\left.\frac{E}{A}\right|_{(\mathrm{u}, \mathrm{d})}=943.6 B_{60}^{1 / 4} \mathrm{MeV}\end{aligned}$

## 3-flavor quark matter

Hypothesis: massless $u, d$ and $s$ quarks.
Electric neutrality + weak-reaction equilibrium $\Rightarrow n_{\mathrm{d}}=n_{\mathrm{u}}=n_{\mathrm{s}}$.
Then $n_{\mathrm{B}}=\frac{1}{3}\left(n_{\mathrm{d}}+n_{\mathrm{u}}+n_{\mathrm{s}}\right)=n_{\mathrm{u}}$
and, at zero pressure, $\frac{3 \pi^{2 / 3}}{4} \hbar c n_{\mathrm{u}}^{4 / 3}=B$
Energy per baryon: $\left.\quad \frac{E}{A}\right|_{(\mathrm{u}, \mathrm{d}, \mathrm{s})}=\frac{\varepsilon_{0}}{n_{\mathrm{B}}}=\left(4 \pi^{2}\right)^{1 / 4} 3^{3 / 4}(\hbar c)^{3 / 4} B^{1 / 4}$

$$
\left.\frac{E}{A}\right|_{(\mathrm{u}, \mathrm{~d}, \mathrm{~s})}=837.3 B_{60}^{1 / 4} \mathrm{MeV}
$$

We recover that $\left.\frac{E}{A}\right|_{(\mathrm{u}, \mathrm{d}, \mathrm{s})}<\left.\frac{E}{A}\right|_{(\mathrm{u}, \mathrm{d})}$

## Bounds on the bag constant

- Stability of nucleons against strangelets formation:

$$
\left.\frac{E}{A}\right|_{(\mathrm{u}, \mathrm{~d})}>\left.\frac{E}{A}\right|_{56 \mathrm{Fe}}=930.4 \mathrm{MeV} \Longleftrightarrow B>58.9 \mathrm{MeV} \mathrm{fm}^{-3}
$$

- SQM being the ground state of matter:

$$
\left.\frac{E}{A}\right|_{(\mathrm{u}, \mathrm{~d}, \mathrm{~s})}<\left.\frac{E}{A}\right|_{56 \mathrm{Fe}}=930.4 \mathrm{MeV} \Longleftrightarrow B<91.5 \mathrm{MeV} \mathrm{fm}^{-3}
$$

But note that surface effects increase $E / A$ for small $A(A \lesssim 30)$, making the hyperon $\Lambda(A=1)$ unstable ( $\tau=3 \times 10^{-10} \mathrm{~s}$ ), and making ordinary matter stable (ouf !).

Conclusion: for massless and non-interacting (except for confinement effects) quarks in the MIT bag model:

$$
58.9 \mathrm{MeV} \mathrm{fm}^{-3}<B<91.5 \mathrm{MeV} \mathrm{fm}^{-3}
$$

## Improved bag model

Take into account

- the finite mass of quark s: $100 \mathrm{MeV} c^{-2} \lesssim m_{\mathrm{s}} \lesssim 300 \mathrm{MeV} c^{-2}$
- the lowest order gluon interactions, via an expansion in $\alpha_{\mathrm{s}}=g^{2} /(4 \pi)$, where $g$ is the QCD coupling constant.
$\Longrightarrow$ 3-parameter EOS for SQM matter: $\left(B, m_{\mathrm{s}}, \alpha_{\mathrm{s}}\right)$


Variation of the energy per baryon $E / A$ with the strange quark mass and the QCD structure constant $\alpha_{\text {s }}$ [from Zdunik, A\&A 359, 311 (2001)]

## Alternatives to the bag model for strange quark matter

- Dey et al. EOS SS1 and SS2 [Dey, Bombaci, Dey, Ray, Samanta, PLB 438, 123 (1998)]: "dynamical" density-dependent approach to confinement, with asymptotic freedom built in; quark interaction described by
* a colour-Debye-screened inter-quark vector potential originating from gluon exchange
* a density-dependent scalar potential which restores chiral symmetry at high density
- high density EOS from perturbative QCD [Fraga, Pisarski, Schaffner-Bielich, PRD 63, 121702(R) (2001)]: up to the second order in $\alpha_{\mathrm{s}}$.



## 2 <br> Numerical models of strange quark stars

## Static strange stars

First numerical models computed by Haensel, Zdunik \& Schaeffer [A\&A 160, 121 (1986)] and Alcock, Fahri \& Olinto [ApJ 310, 261 (1986)] by integration of the Tolman-Oppenheimer-Volkoff equations with MIT bag-model EOS.

Basic features:

- finite density at the surface (zero pressure)
- for small mass (weak gravity): almost constant density profile $\varepsilon \sim 4 B$


[from Glendenning (1997)]


## Mass-radius relation

## From strangelets to strange stars



Gravitational mass as a function of the areal radius for nonrotating strange stars in the MIT bag model [from Bombaci (2001)]

Approximate scaling laws (exact for $\left.\alpha_{\mathrm{s}}=0\right)$ [Zdunik, A\&A 359, 311 (2001)] :
$M \simeq M\left[B_{60}=1, \alpha_{\mathrm{s}}, m_{\mathrm{s}} B_{60}^{-1 / 4}\right] B_{60}{ }^{-1 / 2}$
$R \simeq R\left[B_{60}=1, \alpha_{\mathrm{s}}, m_{\mathrm{s}} B_{60}^{-1 / 4}\right] B_{60}{ }^{-1 / 2}$

## Comparison with neutron stars



Gravitational mass as a function of the areal radius for nonrotating neutron stars (BBB1, BBB2, Hyp and $\mathrm{K}^{-}$) and nonrotating strange stars in the MIT bag model (B90) and Dey et al model (SS1 and SS2) [from Bombaci (2002)]
neutron stars $=$ gravitationally bound objects
strange quark stars $\sim$ self-bound objects

## What about charm stars ?

At very high density, charm quarks appear in the medium, in addition to $u, d$, and $s$ quarks.

[from Glendenning (1997)]
Charm stars are unstable with respect to radial perturbations.

## Rotating strange quark stars


[from Gourgoulhon et al., A\&A 349, 851 (1999)]
Minimal rotation period (for $m_{\mathrm{s}}=0$ and $\alpha_{\mathrm{s}}=0$ ): $P_{\min }=0.634 B_{60}{ }^{-1 / 2} \mathrm{~ms}$

## Solid crust



EOS: $B=56 \mathrm{MeV} \mathrm{fm}^{-3}, \alpha_{\mathrm{s}}=0.2, m_{\mathrm{s}}=200 \mathrm{MeV} c^{-2}$ star: $M_{\mathrm{B}}=1.63 M_{\odot}, f=1210 \mathrm{~Hz}$.
[from Zdunik, Haensel, Gourgoulhon, A\&A 372, 535 (2001)]

## Stellar radius in presence of crust

There exists a minimal radius:

[from Zdunik, Haensel, Gourgoulhon, A\&A 372, 535 (2001)]

## Innermost stable circular orbit (ISCO)

Relativistic gravitation + rotation-induced oblateness $\Rightarrow \mathrm{ISCO}$


...... radius of the ISCO

-     -         - ISCO slow rot. approx.
-     -         - stellar radius with crust
—— radius of bare star
[from Zdunik, Haensel, Gondek-Rosińska, Gourgoulhon, A\&A 356, 612 (2000)]

Small mass strange stars seem to be the only objects in nature to have an ISCO around them given by purely Newtonian gravitational potential [Zdunik \& Gourgoulhon, PRD 63, 087501 (2001)], [Amsterdamski, Bulik, Gondek-Rosińska, Kluźniak, A\&A 381, L21 (2002)]

## 3

## Searching for strange stars

## Rapid rotators

1989: announcement of discovery of a 0.5 ms pulsar in the remnant of supernova 1987A in LMC [Kristian et al., Nature 338, 234 (1989)]

## Rotation rate too rapid for standard neutron star EOS

$\Rightarrow$ strange quark star could be a solution [Frieman, Olinto, Nature 341, 633 (1989)] [Glendenning, PRL 63, 2629 (1989)]

Mass-frequency plane for rotating strange stars constructed upon the Dey et al. EOS SS2
[from Gondek-Rosińska et al., A\&A 363, 1005 (2000)]


## QPO in LMXB



Quasi-periodic oscillations (QPO) observed by RXTE in the X-ray binary Sco X-1.

In the most popular model of QPOs, the high frequency peak gives the orbital frequency at the inner edge of the accretion disk $\Rightarrow$ ISCO

## Interpreting the QPO in terms of ISCO

Neutron stars and strange quark stars have very different ISCO behavior:



[from Gondek-Rosińska, Kluźniak,

Proc.
Moriond 2002]

## Gravitational radiation

Strange quark stars can have large $T / W$ ratio $\Rightarrow$ Jacobi-like bar-mode instability (viscosity-driven) $\Rightarrow$ gravitational wave emission at twice the rotation frequency


All configurations above the dashed line are unstable
[from Gondek-Rosińska, Gourgoulhon, Haensel, in preparation]

## 4

Chandra observations

## RX J1856.5-3754



Isolated Neutron Star RX J185635-3754
HST • WFPC2
PRC97-32 • ST Scl OPO • September 25, 1997
F. Walter (State University of New York at Stony Brook) and NASA

- Discovered as an X-ray source with ROSAT in 1996 [Walter et al., Nature 379, 233 (1996)]

Best fit black body $k T_{\infty}=57 \pm 1 \mathrm{eV}$ $\Longleftrightarrow T_{\infty} \simeq 6.6 \times 10^{5} \mathrm{~K}$
In front of molecular cloud $R$ Coronae
Australis $\Rightarrow d \lesssim 130-170 \mathrm{pc}$

- Optical counterpart discovered in 1997 with HST [Walter \& Matthews, Nature 389, 358 (1997)] magnitude $V=25.6$
Optical flux 2 to 3 times larger than the tail of the 57 eV black body

RX J1856.5-3754 observed by VLT


VLT Kueyen + FORS2 (field: $80 " \times 80^{\prime \prime}$ )
$\rightarrow$ bowshock (heated interstellar gas by accelerated $e^{-}$and $p$ from the star ?) [ESO 2000]

## Distance to RX J1856.5-3754



- First measure of proper motion and parallax (erroneous) [Walter, ApJ 549, 433 (2001)]
$\Rightarrow$ erroneous $d=61 \pm 9 \mathrm{pc}$
- New determinations of parallax:
$d=140 \pm 40 \mathrm{pc}$ [Kaplan, van
Kerkwijk, Anderson, astro-ph/0111174]
$d=117 \pm 12 \mathrm{pc} \quad[$ Walter \&
Lattimer, astro-ph/0204199]


## RX J1856.5-3754 spectrum



Chandra image of RX J1856.5-3754


Spectrum from Chandra, EUVE and HST data:

-     -         - : : black body best fit to Chandra data $k T_{\infty}=63 \mathrm{eV}$ [Burwitz et al., A\&A 379, L35 (2001)]
.........: 63 eV black body +15 eV black body with $R_{\infty}(15 \mathrm{eV})=5 R_{\infty}(63 \mathrm{eV})$
[from Walter \& Lattimer, astro-ph/0204199]


## Simple estimation of radius from black body emission

Observed quantities: (at infinite distance from the star)

- electromagnetic flux $f_{\infty}$
- surface temperature $T_{\infty}$ (black body fit to the spectrum)
- distance $d$ (parallax)


## Estimation of the radius:

Total luminosity for black body emission: $L_{\infty}=4 \pi R_{\infty}^{2} \sigma T_{\infty}^{4}$
Flux on Earth: $f_{\infty}=\frac{L_{\infty}}{4 \pi d^{2}}=\left(\frac{R_{\infty}}{d}\right)^{2} \sigma T_{\infty}^{4}$
Hence the radius "measured" at infinity: $\quad R_{\infty}=\frac{d}{T_{\infty}^{2}}\left(\frac{f_{\infty}}{\sigma}\right)^{1 / 2}$

## Relation between $R_{\infty}$ and the true radius of the star $R$

Areal radius of the star (surface value of the Schwarzschild coordinate $r$ ): $R$
Redshift factor at the surface of the star: $N=\sqrt{-g_{00}}=\left(1-\frac{2 G M}{c^{2} R}\right)^{1 / 2}$
Gravitational dilation of time: $d t_{\infty}=N^{-1} d t \quad$ ( $N$ : lapse function)
Energy and wavelength of a particle reaching infinity: $E_{\infty}=N E$ and $\lambda_{\infty}=N^{-1} \lambda$
Luminosity at infinity: $L_{\infty}=\frac{d E_{\infty}}{d t_{\infty}}=N^{2} \frac{d E}{d t}=N^{2} L$
Local black body emissivity: $R$ areal radius $\Rightarrow L=4 \pi R^{2} \sigma T^{4}$
"Observed" temperature: $\lambda_{\max } T=$ const. $\Rightarrow T_{\infty}=N T$
Observed black body: $L_{\infty}=4 \pi R_{\infty}^{2} \sigma T_{\infty}^{4}$
Hence $R_{\infty}=N^{-1} R$, i.e. $R_{\infty}=\left(1-\frac{2 G M}{c^{2} R}\right)^{-1 / 2} R$

## The very small radius puzzle

- Erroneous distance of Walter $2001: d=61 \mathrm{pc} \Rightarrow R_{\infty}=3.3 \mathrm{~km}$ (for $f_{\infty}^{\mathrm{ROSAT}}$ and $\left.k T_{\infty}=57 \mathrm{eV}\right)$.
- New distance of Walter \& Lattimer 2002 : $d=117 \mathrm{pc} \Rightarrow R_{\infty}=4.8 \mathrm{~km}$ (for $f_{\infty}^{\text {Chandra }}$ and $\left.k T_{\infty}=61 \mathrm{eV}\right)$.
- New distance of Kaplan et al. 2002 : $d=140 \mathrm{pc} \Rightarrow R_{\infty}=5.8 \mathrm{~km}$ (for $f_{\infty}^{\text {Chandra }}$ and $\left.k T_{\infty}=61 \mathrm{eV}\right)$.


## Minimal radius of neutron stars



Solid lines: neutron star models; dashed line: strange quark star with MIT bag model EOS: $B=41 \mathrm{MeV} \mathrm{fm}^{-3}, m_{\mathrm{s}}=150 \mathrm{MeV} \mathrm{c}^{-2}, \alpha_{\mathrm{s}}=0.6$ [from Haensel, A\&A 380, 186 (2001)].

## Minimal radius of strange quark stars


[from Gondek-Rosińska, Kluźniak \& Stergioulas, in preparation (2002)]

## A proposed solution

Pons et al. [ApJ 564, 981 (2002)] : the emission is not a pure black body one.
Two atmospheric models:

1. Uniform temperature + heavy elements (Fe)
2. Two thermal components (optical flux from cooler part)

Model $1 \Rightarrow R_{\infty} \simeq 15 \mathrm{~km}$ for $d=117 \mathrm{pc}, f_{\infty}^{\mathrm{ROSAT}}$ and $k T_{\infty}=57 \mathrm{eV}$
Model $2 \Rightarrow R_{\infty} \simeq 21 \mathrm{~km}$ for $d=117 \mathrm{pc}, f_{\infty}^{\text {Chandra }}$ and $k T_{\infty}=63 \mathrm{eV}$
[Walter \& Lattimer, astro-ph/0204199]

## Recent Chandra observations

Drake et al. [ApJ 572, 996 (2002)] have conducted deep observations of RX J1856.5-3754 in October 2001 (446 ks of data).

Findings:

- X-ray spectrum well represented by a black body spectrum with $k T_{\infty}=61.2 \pm 1.0 \mathrm{eV}$ $\left(T_{\infty}=7.1 \times 10^{5} \mathrm{~K}\right)$
- no heavy element spectral lines $\Rightarrow$ disfavors atmospheric model 1 of Pons et al. (2002)
- no X-ray pulsation (pulse fraction $<2.7 \%$ ) $\Rightarrow$ disfavors atmospheric model 2 of Pons et al. (2002)

Inferred pure black body radius: $R_{\infty}=4.12 \pm 0.68 \mathrm{~km} \frac{d}{100 \mathrm{pc}}$

## Has a strange quark star been discovered ?

Maybe, but one should remain cautious:

- extrapolation of the $\sim 61 \mathrm{eV}$ black body spectrum to low frequencies underpredicts the optical flux by a factor 6 [Walter \& Lattimer, astro-ph/0204199]
- disagreement between Chandra flux and ROSAT one: $f_{\text {Chandra }} \sim 0.8 f_{\text {ROSAT }}$
- $R_{\infty}=5.8 \mathrm{~km}(d=140 \mathrm{pc})$ implies a maximum mass of only $\sim 0.7 M_{\odot} \Rightarrow$ how to form such light star ?

A possible answer proposed by Nakamura [astro-ph/0205526] :
Gravitational collapse of a very rapidly neutron star with Kerr parameter $J / M^{2}$ larger than 1 does not lead to a black hole but to a small mass quark star + a jet. In addition this provides a source for gamma ray bursts !

## The second strange star candidate: 3C 58

3C 58: remnant of the supernova SN 1181 (younger than Crab nebula: SN 1054)
Central object: X-ray and radio pulsar PSR J0205+6449, $P=65 \mathrm{~ms}$, discovered by Chandra observations [Murray et al., ApJ 568, 226 (2002)]


Argument for a strange quark star: $T_{\infty}<1.1 \times 10^{6} \mathrm{~K}$, too cold for a neutron star 820 years old [Slane, Helfand, Murray, ApJ 571, L45 (2002)]

## ...but this argument is not conclusive !

Many alternatives are possible within cooling theories of ordinary neutron stars:

[from Yakovlev, Kaminker, Haensel, Gnedin, astro-ph/0204233]

## Conclusions and perspectives

- From our (poor) knowledge of strong interaction, it is not inconceivable that strange quark matter constitutes the ground state of cold dense matter.
- A class of compact stellar objects, bound by strong interaction (in addition to gravity), would then constitute an alternative to neutron stars: strange quark stars.
- Strange quark stars have some features (small radius, large break-up rotation velocity, location of ISCO, etc...) than make them observationally distinguishable from neutron stars.
- Discovering a strange quark star would be an extremely valuable contribution of astrophysics to particle physics.
- From the two claims of discovery based on recent Chandra observations, of RX J1856.5-3754 can be considered as providing a strange quark star serious candidate. It has to be confirmed by further observational studies.


## Conclusions and perspectives (cont'd)

- If RX J1856.5-3754 is confirmed as a strange star, there remains to explain the formation of such a small mass object.
- Since RX J1856.5-3754 is one of the closest compact stars, it would be then likely that most, if not all, compact stars are actually strange quark stars.
- A strong support for the possible existence of strange quark star would be the discovery of strangelets in the next generation of ultra-relativistic heavy ion colliders (RHIC at Brookhaven, LHC at CERN).

