

Testing general relativity via observations of black hole surroundings

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based on a collaboration with

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Frédéric H. Vincent

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16 December 2016

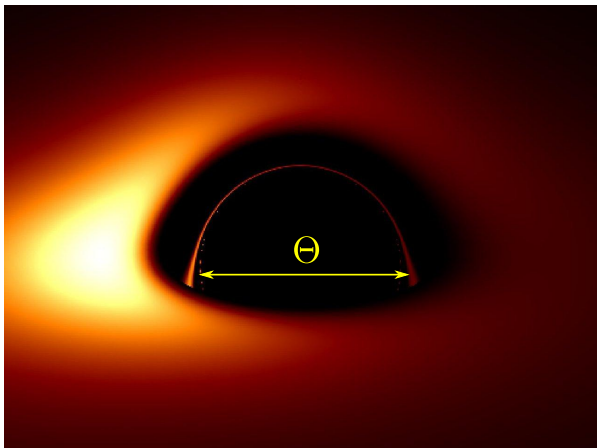
Outline

- 1 A new observational era
- 2 Testing general relativity with black holes
- 3 Boson stars
- 4 Black holes with scalar hair
- 5 Conclusion and future prospects

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Can we see a black hole from the Earth ?



Angular diameter of the silhouette of a Schwarzschild BH of mass M seen from a distance d :

$$\Theta = 6\sqrt{3} \frac{GM}{c^2 d} \simeq 2.60 \frac{2R_S}{d}$$

Image of a thin accretion disk around a Schwarzschild BH

[Vincent, Paumard, Gourgoulhon & Perrin, CQG 28, 225011 (2011)]

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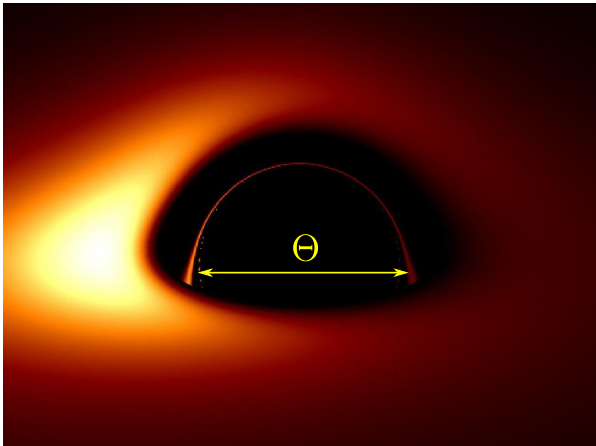


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Largest black holes in the Earth's sky :

Sgr A* : $\Theta = 53 \mu\text{as}$

M87 : $\Theta = 21 \mu\text{as}$

M31 : $\Theta = 20 \mu\text{as}$

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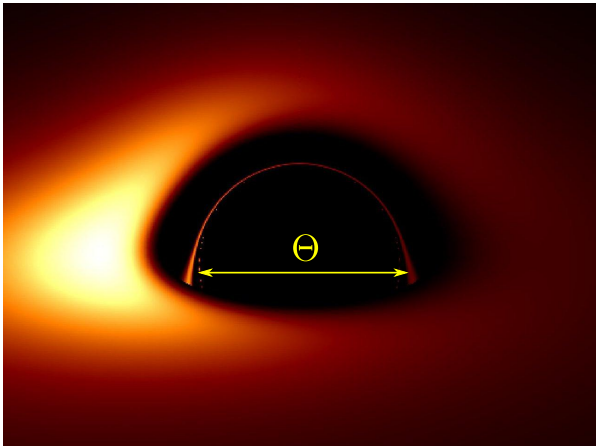


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 $\sim 10^5 \mu\text{as}$!

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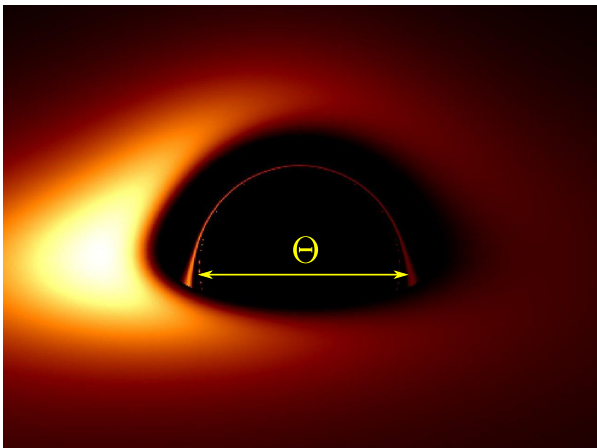


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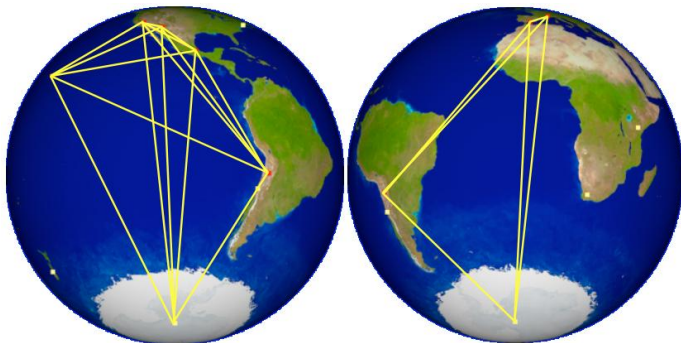
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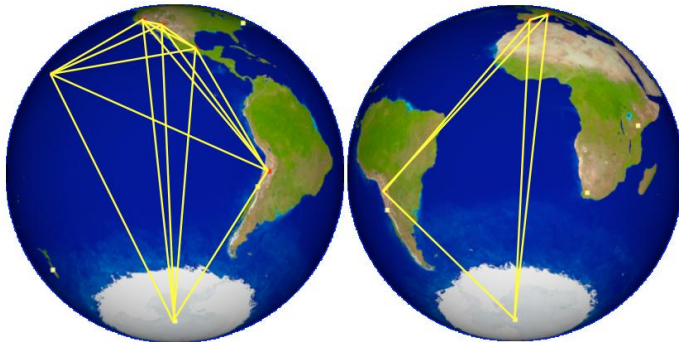
Remark : black holes in X-ray binaries are $\sim 10^5$ times smaller ($\Theta \propto M/d$)

Reaching the μas resolution with VLBI : the EHT

Very Large Baseline
Interferometry
(VLBI) in
(sub)millimeter
waves



Event Horizon Telescope [Doeleman et al. 2011]

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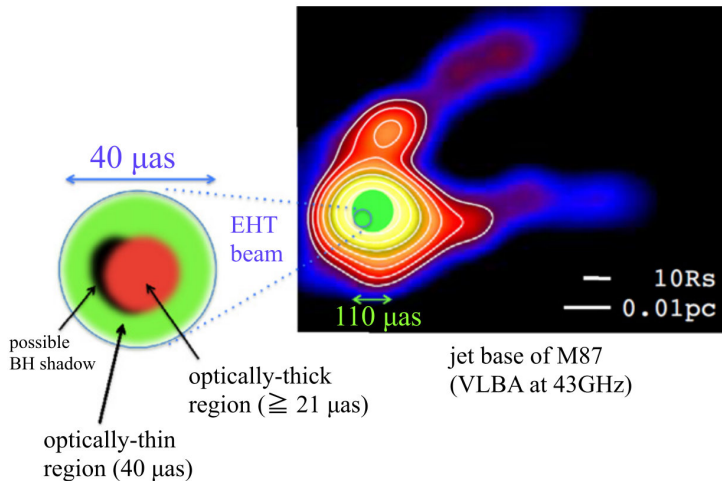
Event Horizon Telescope [Doeleman et al. 2011]

Very Large Baseline Interferometry (VLBI) in (sub)millimeter waves

One of the best result so far : VLBI observations at 1.3 mm have shown that the size of the emitting region in Sgr A* is only $37 \mu\text{as}$

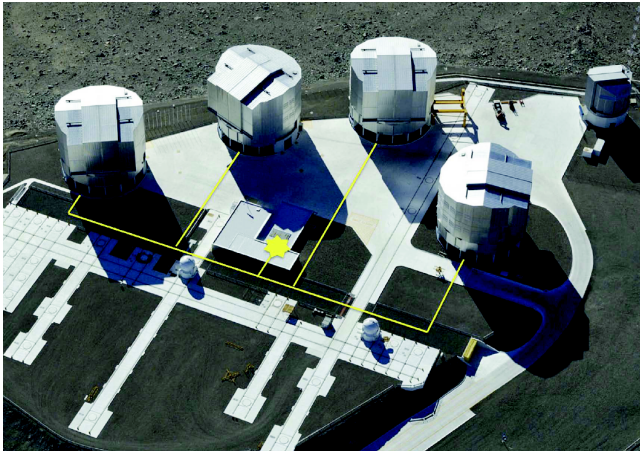
[Doeleman et al., Nature 455, 78 (2008)]

VLBA and EHT observations of M87



[Kino et al., ApJ 803, 30 (2015)]

Near-infrared optical interferometry : GRAVITY



[Gillessen et al. 2010]

GRAVITY instrument at VLTI (2016)

Beam combiner (the four 8 m telescopes + four auxiliary telescopes)

astrometric precision on orbits : $10 \mu\text{as}$

Near-infrared optical interferometry : GRAVITY



[MPE/GRAVITY team]

July 2015 : GRAVITY shipped to Chile and successfully assembled at Paranal Observatory

Fall 2016 : observations have started !

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Is general relativity unique?

Yes if we assume

- a 4-dimensional spacetime
- gravitation only described by a metric tensor g
- field equation involving only derivatives of g up to second order
- diffeomorphism invariance
- $\nabla \cdot T = 0$ (\implies weak equivalence principle)

The above is a consequence of **Lovelock theorem (1972)**.

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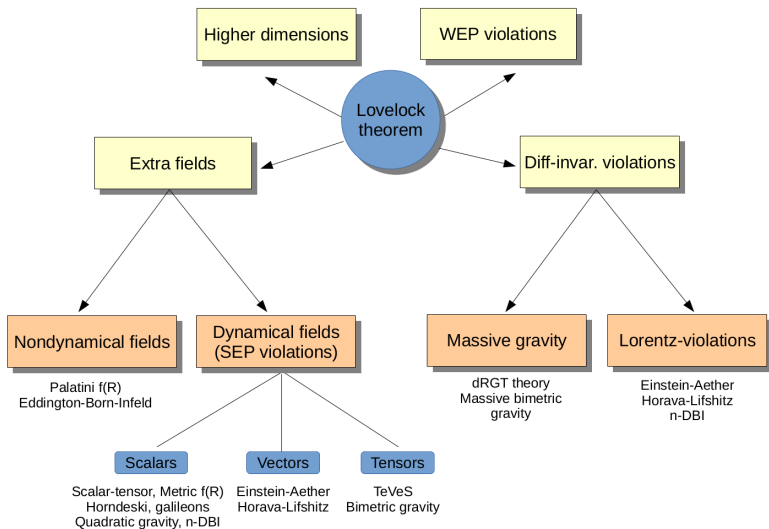
However, GR is certainly not the ultimate theory of gravitation :

- it is not a quantum theory
- cosmological constant / dark energy problem

GR is generally considered as a low-energy limit of a more fundamental theory :

- string theory
- loop quantum gravity
- ...

Extensions of general relativity



[Berti et al., CGQ 32, 243001 (2015)]

An example : tensor-scalar theory

THE ASTROPHYSICAL JOURNAL, 533:392–405, 2000 April 10

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GRAVITATIONAL WAVES FROM THE COLLAPSE AND BOUNCE OF A STELLAR CORE IN TENSOR-SCALAR GRAVITY

JÉRÔME NOVAK¹ AND JOSÉ M^A. IBÁÑEZ

Departamento de Astronomía y Astrofísica, Universidad de Valencia, 46100 Burjassot, Spain; Jerome.Novak@obspm.fr

Received 1998 December 22; accepted 1999 November 17

ABSTRACT

Tensor-scalar theory of gravity allows the generation of gravitational waves from astrophysical sources, like supernovae, even in the spherical case. That motivated us to study the collapse of a degenerate stellar core, within tensor-scalar gravity, leading to the formation of a neutron star through a bounce and the formation of a shock. This paper discusses the effects of the scalar field on the evolution of the system, as well as the appearance of strong nonperturbative effects of this scalar field (the so-called spontaneous scalarization). As a main result, we describe the resulting gravitational monopolar radiation (form and amplitude) and discuss the possibility of its detection by the gravitational detectors currently under construction, taking into account the existing constraints on the scalar field. From the numerical point of view, it is worthy to point out that we have developed a combined code that uses pseudo-spectral methods for the evolution of the scalar field and High-Resolution Shock-Capturing schemes, as well as for the evolution of the hydrodynamical system. Although this code has been used to integrate the field equations of that theory of gravity, in the spherically symmetric case, a by-product of the present work is to gain experience for an ulterior extension to multidimensional problems in Numerical Relativity of such numerical strategy.

The link with CoCoNuT : first “Mariage des maillages”

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Test : are astrophysical black holes Kerr black holes ?

- **No-hair theorem** : $\text{GR} \implies \text{Kerr BH}$
- extension of $\text{GR} \implies \text{BH}$ may deviate from Kerr

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Observational tests

Search for

- **stellar orbits** deviating from Kerr timelike geodesics (GRAVITY)
- **accretion disk spectra** different from those arising in Kerr metric (X-ray observatories, e.g. Athena)
- **images of the black hole silhouette** different from that of a Kerr BH (EHT)

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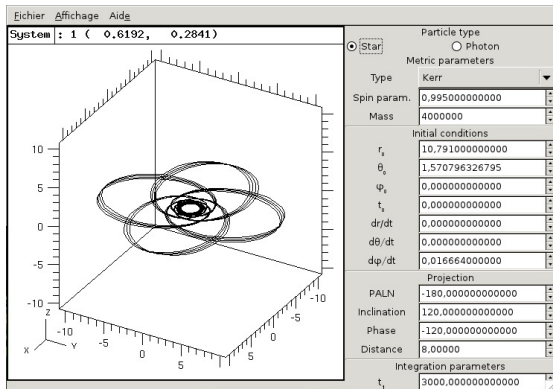
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Need for a good and versatile geodesic integrator

to compute timelike geodesics (orbits) and null geodesics (ray-tracing) in any kind of metric

Gyoto code

Main developers : T. Paumard & F. Vincent



- Integration of geodesics in Kerr metric
- Integration of geodesics in any numerically computed 3+1 metric
- Radiative transfer included in optically thin media
- Very modular code (C++)
- Python interface
- Free software (GPL) : <http://gyoto.obspm.fr/>

[Vincent, Paumard, Gourgoulhon & Perrin, CQG 28, 225011 (2011)]

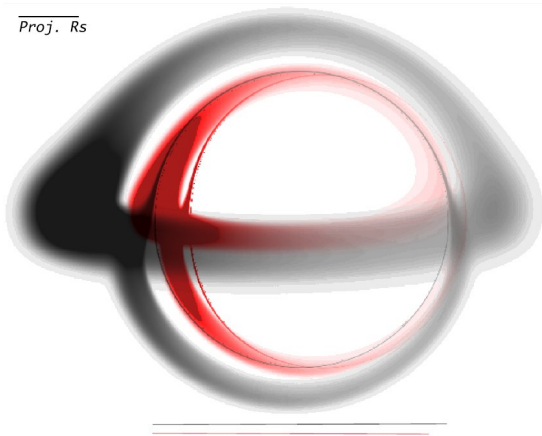
[Vincent, Gourgoulhon & Novak, CQG 29, 245005 (2012)]

Measuring the spin from the black hole silhouette

Ray-tracing in the Kerr metric (spin parameter a)

Accretion structure around Sgr A* modelled as a **ion torus**, derived from the *polish doughnut* class [Abramowicz, Jaroszynski & Sikora (1978)]

$\overline{\text{Proj. } R_s}$



Radiative processes included :
thermal synchrotron,
bremsstrahlung, inverse
Compton

← Image of an ion torus
computed with **Gyoto** for the
inclination angle $i = 80^\circ$:

- black : $a = 0.5M$
- red : $a = 0.9M$

[Straub, Vincent, Abramowicz, Gourgoulhon & Paumard, *A&A* 543, A83 (2012)]

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Boson stars

Boson star = localized configurations of a self-gravitating complex scalar field Φ
 ≡ “Klein-Gordon geons” [Bonazzola & Pacini (1966), Kaup (1968), Ruffini & Bonazzola (1969)]

- **Minimally coupled** scalar field : $\mathcal{L} = \frac{1}{16\pi}R - \frac{1}{2} [\nabla_\mu \bar{\Phi} \nabla^\mu \Phi + V(|\Phi|^2)]$
 - Field equation : $\nabla_\mu \nabla^\mu \Phi = V'(|\Phi|^2) \Phi$
 - Einstein equation : $R_{\alpha\beta} - \frac{1}{2}Rg_{\alpha\beta} = 8\pi T_{\alpha\beta}$
- with $T_{\alpha\beta} = \nabla_{(\alpha} \bar{\Phi} \nabla_{\beta)} \Phi - \frac{1}{2} [\nabla_\mu \bar{\Phi} \nabla^\mu \Phi + V(|\Phi|^2)] g_{\alpha\beta}$

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Examples :

- **free field** : $V(|\Phi|^2) = \frac{m^2}{\hbar^2} |\Phi|^2$, m : boson mass

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Boson stars as black-hole mimickers

Boson stars can be very **compact** and are the **less exotic** alternative to black holes : they require only a **scalar field** and since 2012 we know that at least one fundamental scalar field exists in Nature : the Higgs boson !

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Maximum mass

- Free field : $M_{\max} = \alpha \frac{\hbar}{m} = \alpha \frac{m_{\text{P}}^2}{m}$, with $\alpha \sim 1$
- Self-interacting field : $M_{\max} \sim \left(\frac{\lambda}{4\pi} \right)^{1/2} \frac{m_{\text{P}}^2}{m} \times \frac{m_{\text{P}}}{m}$

$$m_{\text{P}} = \sqrt{\hbar} = \sqrt{\hbar c/G} = 2.18 \cdot 10^{-8} \text{ kg} : \text{Planck mass}$$

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m	M_{\max} (free field)	M_{\max} ($\lambda = 1$)
125 GeV (Higgs)	$2 \cdot 10^9 \text{ kg}$	$2 \cdot 10^{26} \text{ kg}$
1 GeV	$3 \cdot 10^{11} \text{ kg}$	$2 M_{\odot}$
0.5 MeV	$3 \cdot 10^{14} \text{ kg}$	$5 \cdot 10^6 M_{\odot}$

Rotating boson stars

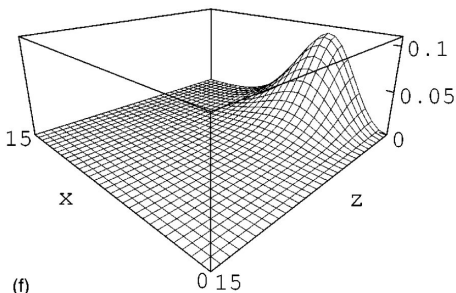
Ansatz for **stationary and axisymmetric spacetimes** [Schunck & Mielke (1996)] :

$$\Phi(t, r, \theta, \varphi) = \Phi_0(r, \theta) e^{i(\omega t + k\varphi)}$$

with $\Phi_0(r, \theta)$ real function, $\omega \in \mathbb{R}$ and $k \in \mathbb{N}$ (regularity on the rotation axis)

Solutions :

- $k = 0$: static and spherically symmetric boson stars
 \implies exterior spacetime = Schwarzschild (or close to it if Φ never vanishes)
- $k \geq 1$: stationary rotating “stars” with **toroidal topology**
 \implies exterior spacetime expected to be significantly different from Kerr



← Profile of $\Phi_0(r, \theta)$ for a free field with $k = 2$

z -axis = rotation axis :

$z = r \cos \theta$, $x = r \sin \theta \cos \varphi$

[Yoshida & Eriguchi, PRD 56, 762 (1997)]

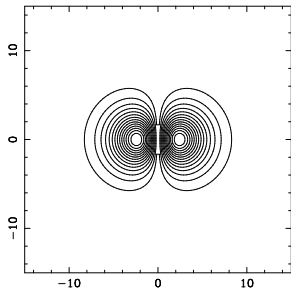
Rotating boson stars

Solutions computed by means of **Kadath** [Grandclément, JCP 229, 3334 (2010)]

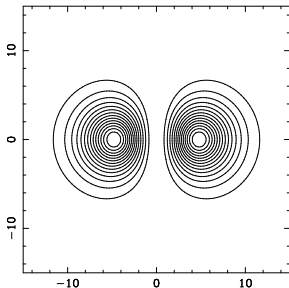
<http://luth.obspm.fr/~luthier/grandclement/kadath.html>

Isocontours of $\Phi_0(r, \theta)$ in the plane $\varphi = 0$ for $\omega = 0.8 \frac{m}{\hbar}$:

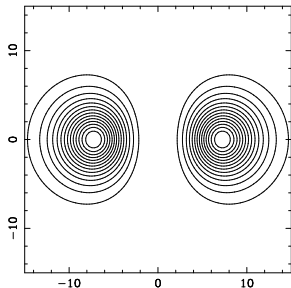
$k = 1$



$k = 2$



$k = 3$



[Grandclément, Somé & Gourgoulhon, PRD 90, 024068 (2014)]

Zero-angular momentum orbits around rotating boson stars

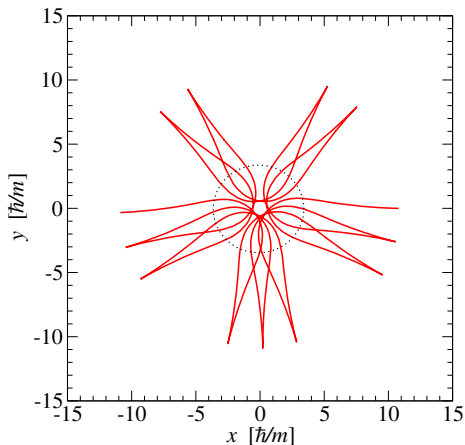
$\ell = 0$ orbit around a rotating boson star

based on the scalar field

$$\Phi = \Phi_0(r, \theta) e^{i(\omega t + k\varphi)}$$

with $k = 2$ and $\omega = 0.75 m/\hbar$

Orbit = timelike geodesic computed by means of **Gyoto**



[Granclement, Somé & Gourgoulhon, PRD **90**, 024068 (2014)]

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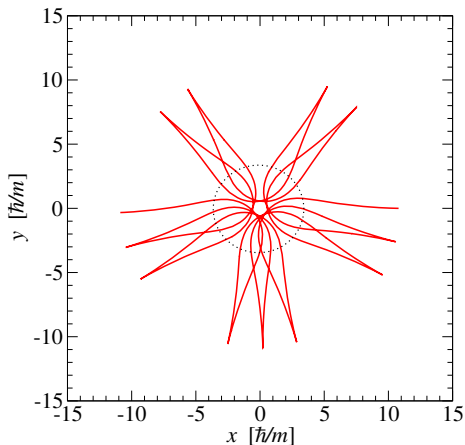
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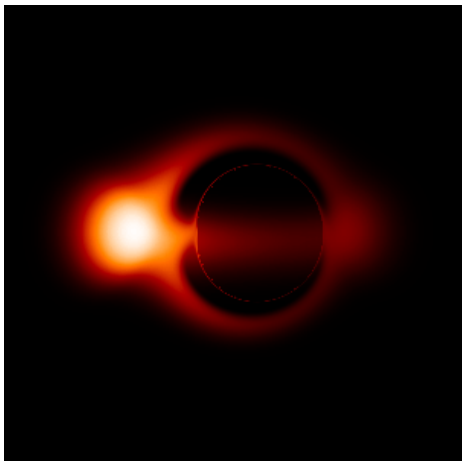
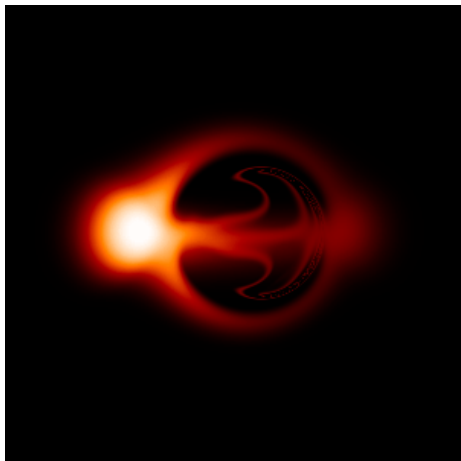
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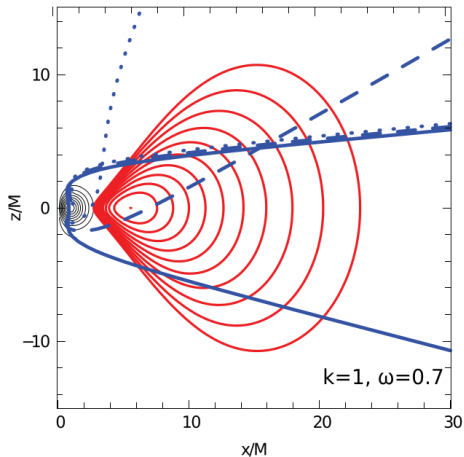
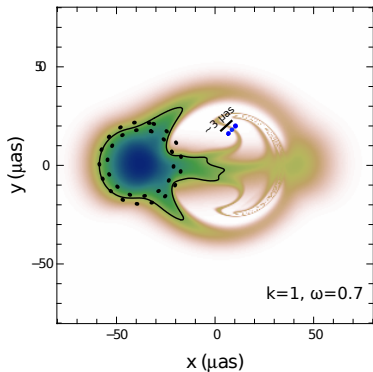
No equivalent in Kerr spacetime

Image of an accretion torus

Kerr BH $a/M = 0.9$ Boson star $k = 1, \omega = 0.70 m/\hbar$ 

[Vincent, Meliani, Grandclément, Gourgoulhon & Straub, CQG 33, 105015 (2016)]

Strong light bending in rotating boson star spacetimes



[Vincent, Meliani, Grandclément, Gourgoulhon & Straub, CQG 33, 105015 (2016)]

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Herdeiro-Radu hairy black holes

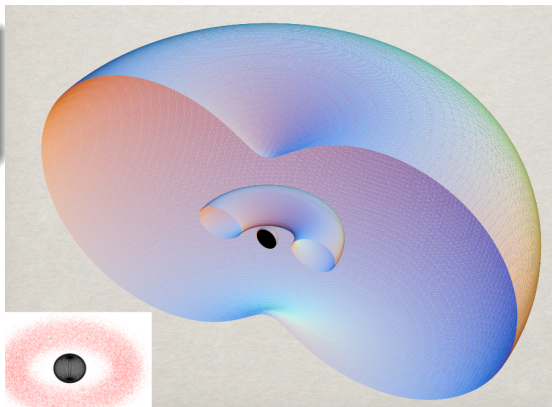
Herdeiro & Radu discovery
(2014)

**A black hole can have a
complex scalar hair**

Stationary axisymmetric
configuration with a
self-gravitating massive complex
scalar field Φ and an event
horizon

$$\Phi(t, r, \theta, \varphi) = \Phi_0(r, \theta)e^{i(\omega t + k\varphi)}$$

$$\omega = k\Omega_H$$



[Herdeiro & Radu, PRL 112, 221101 (2014)]

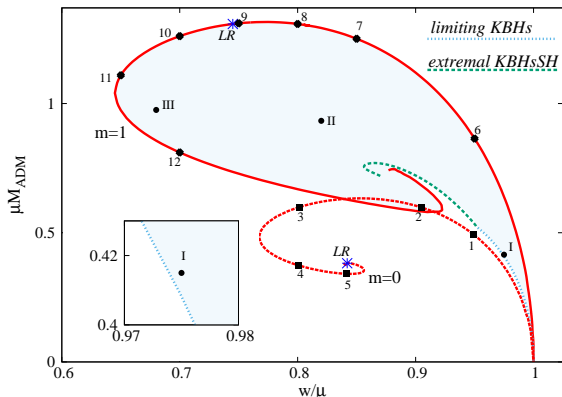
Herdeiro-Radu hairy black holes

- **Configuration I** : rather Kerr-like
- **Configuration II** : not so Kerr-like
- **Configuration III** : very non-Kerr-like

$$\mu = \frac{m}{\hbar} = \frac{m}{m_{\text{Pl}}^2} = \mathcal{M}^{-1}$$

$m=0$: non-rotating boson stars

$m=1$: rotating boson stars with $k=1$



[Cunha, Herdeiro, Radu Rúnarsson, PRL 115, 211102 (2015)]

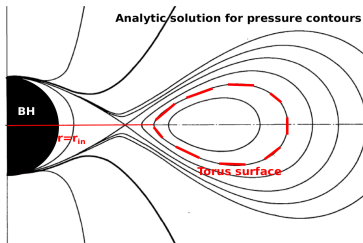
TABLE I. KBHsSH configurations considered in the present study. M is the ADM mass, M_{H} is the horizon's Komar mass, J is the total Komar angular momentum and J_{H} is the horizon's Komar angular momentum.

	M	M_{H}	J	J_{H}	$\frac{M_{\text{H}}}{M}$	$\frac{J_{\text{H}}}{J}$	$\frac{J}{M^2}$	$\frac{J_{\text{H}}}{M_{\text{H}}^2}$
Configuration I	$0.415\mathcal{M}$	$0.393\mathcal{M}$	$0.172\mathcal{M}^2$	$0.150\mathcal{M}^2$	95%	87%	0.999	0.971
Configuration II	$0.933\mathcal{M}$	$0.234\mathcal{M}$	$0.740\mathcal{M}^2$	$0.115\mathcal{M}^2$	25%	15%	0.850	2.10
Configuration III	$0.975\mathcal{M}$	$0.018\mathcal{M}$	$0.85\mathcal{M}^2$	$0.002\mathcal{M}^2$	1.8%	2.4%	0.894	6.20

Images of a magnetized accretion torus

Accretion torus model of [Vincent, Yan, Straub, Zdziarski & Abramowicz, A&A 574, A48 (2015)]

- non-self-gravitating perfect fluid
- polytropic EOS $\gamma = 5/3$
- constant specific angular momentum
 $\ell = u_\varphi / (-u_t) = 3.6 M$
 [Abramowicz, Jaroszynski & Sikora, A&A 63, 221 (1978)]
- torus inner radius $r_{\text{in}} \simeq 5.5 M$
- max electron density : $n_e = 6.3 \cdot 10^{12} \text{ m}^{-3}$
- max electron temperature : $T_e = 5.3 \cdot 10^{10} \text{ K}$
- isotropized magnetic field \implies synchrotron radiation
- gas-to-magnetic pressure ration $\beta = 10$
- observer inclination angle : $\theta = 85^\circ$

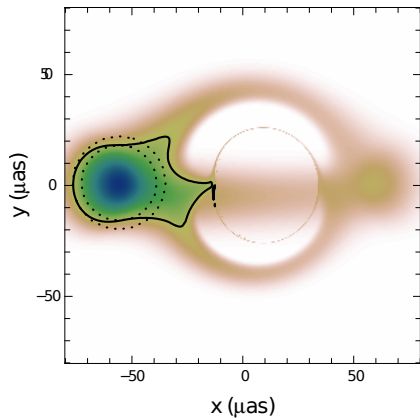


Configuration I

Gyoto-simulated images of Sgr A* at $f = 250$ GHz

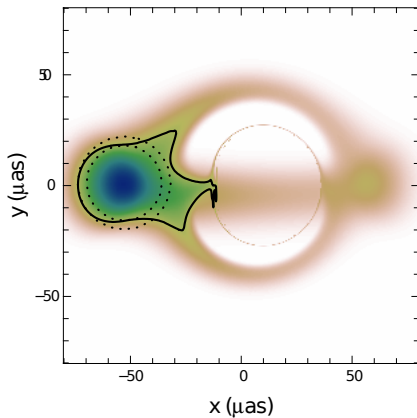
hairy BH

KBHSH configuration I



Kerr BH with same (M, J)

Kerr SP configuration I



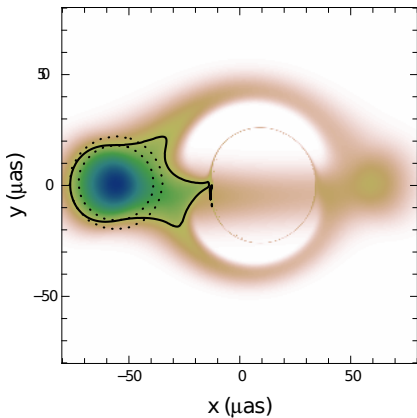
[Vincent, Gourgoulhon, Herdeiro & Radu, PRD **94**, 084045 (2016)]

Configuration I

Gyoto-simulated images of Sgr A* at $f = 250$ GHz

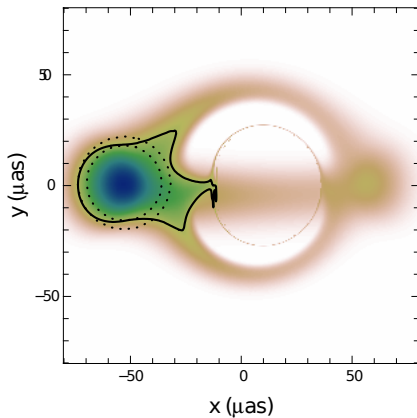
hairy BH

KBHSH configuration I



Kerr BH with same (M, J)

Kerr SP configuration I



[Vincent, Gourgoulhon, Herdeiro & Radu, PRD **94**, 084045 (2016)]

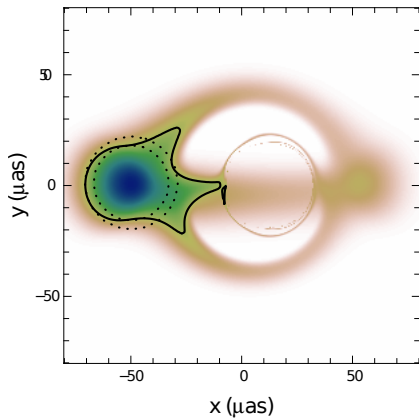
5% difference in photon ring size \implies barely observable

Configuration II

Gyoto-simulated images of Sgr A* at $f = 250$ GHz

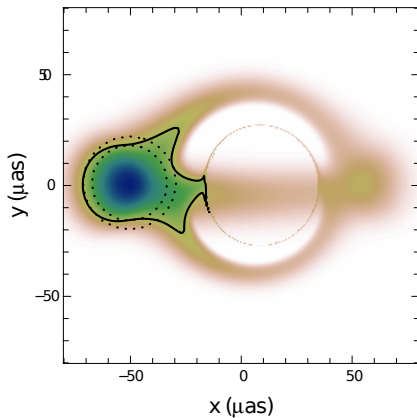
hairy BH

KBHSH configuration II



Kerr BH with same (M, J)

Kerr SP configuration II



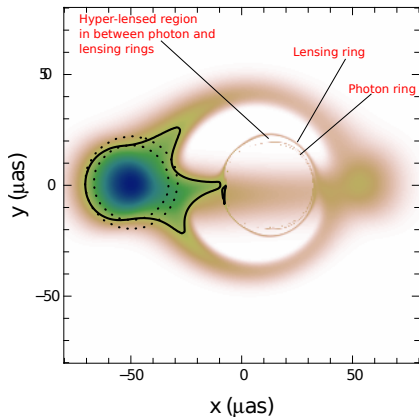
[Vincent, Gourgoulhon, Herdeiro & Radu, PRD **94**, 084045 (2016)]

Configuration II

Gyoto-simulated images of Sgr A* at $f = 250$ GHz

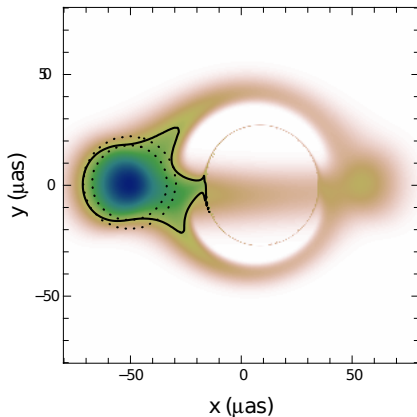
hairy BH

KBHSH configuration II



Kerr BH with same (M, J)

Kerr SP configuration II



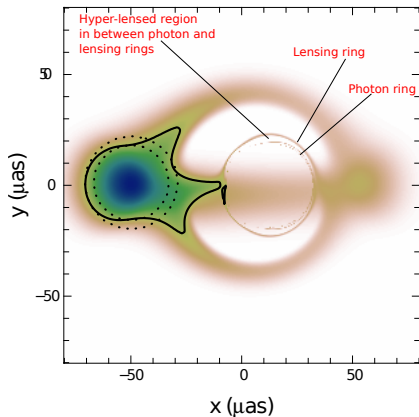
[Vincent, Gourgoulhon, Herdeiro & Radu, PRD **94**, 084045 (2016)]

Configuration II

Gyoto-simulated images of Sgr A* at $f = 250$ GHz

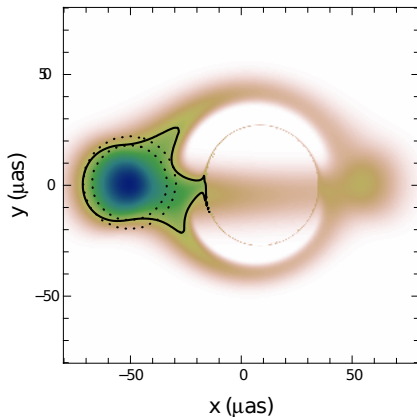
hairy BH

KBHSH configuration II



Kerr BH with same (M, J)

Kerr SP configuration II



[Vincent, Gourgoulhon, Herdeiro & Radu, PRD **94**, 084045 (2016)]

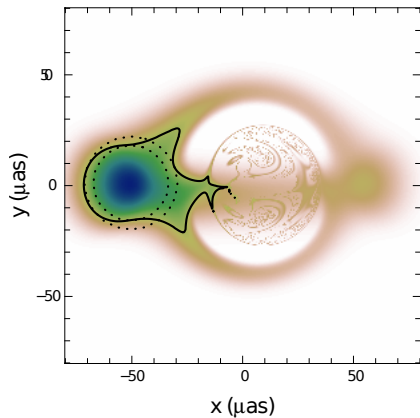
20% difference between HBH-lensing and BH-photon rings \implies observable by EHT

Configuration III

Gyoto-simulated images of Sgr A* at $f = 250$ GHz

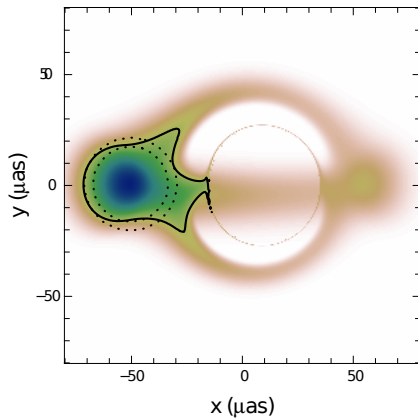
hairy BH

KBHSH configuration III



Kerr BH with same (M, J)

Kerr SP configuration III



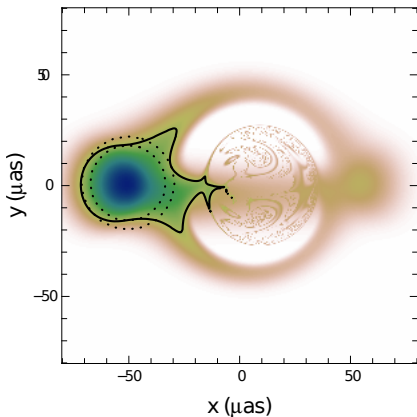
[Vincent, Gourgoulhon, Herdeiro & Radu, PRD **94**, 084045 (2016)]

Configuration III

Gyoto-simulated images of Sgr A* at $f = 250$ GHz

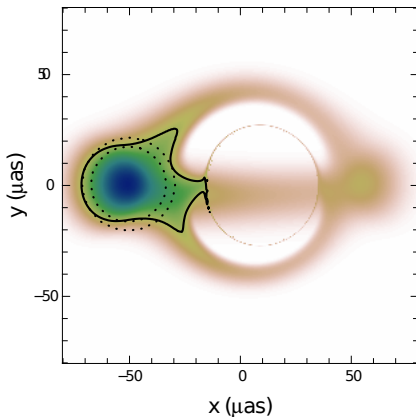
hairy BH

KBHSH configuration III



Kerr BH with same (M, J)

Kerr SP configuration III



[Vincent, Gourgoulhon, Herdeiro & Radu, PRD **94**, 084045 (2016)]

HBH : no sharp edge in the intensity distribution \implies detectable by EHT

Outline

- 1 A new observational era
- 2 Testing general relativity with black holes
- 3 Boson stars
- 4 Black holes with scalar hair
- 5 Conclusion and future prospects

Conclusion and future prospects

After a century marked by the Golden Age (1965-1975), the first astronomical discoveries (1970-80's) and the ubiquity of black holes in high-energy astrophysics (1990's - present), **black hole physics** is entering a new observational era, with the advent of **high-angular-resolution telescopes** and **gravitational wave detectors**, which provide unique opportunities to **test general relativity in the strong field regime**.

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We have investigated two alternatives to the Kerr black hole *within general relativity*: **boson stars** and **black holes with scalar hair**. Both show distinctive features, within the range of GRAVITY and EHT instruments.

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We have investigated two alternatives to the Kerr black hole *within general relativity*: **boson stars** and **black holes with scalar hair**. Both show distinctive features, within the range of GRAVITY and EHT instruments.

Future prospects

- Obtain rotating black hole solutions in **extensions to GR**, such as Einstein-Gauss-Bonnet gravity with dilaton [Kleihaus, Kunz & Radu, PRL 106, 151104 (2011)] and Chern-Simons gravity
- Compute orbits and accretion disk/torus images and compare with Kerr BH